

# **Detrended fluctuation analysis of the oximetry signal to assist in paediatric sleep apnoea-hypopnoea syndrome diagnosis**

**Fernando Vaquerizo-Villar<sup>1</sup>, Daniel Álvarez<sup>1,2</sup>, Leila Kheirandish-Gozal<sup>3</sup>, Gonzalo C. Gutiérrez-Tobal<sup>1</sup>, Verónica Barroso-García<sup>1</sup>, Andrea Crespo<sup>1,2</sup>, Félix del Campo<sup>1,2</sup>, David Gozal<sup>3</sup>, and Roberto Hornero<sup>1,4</sup>**

<sup>1</sup> Biomedical Engineering Group, Universidad de Valladolid, Valladolid, Spain

<sup>2</sup> Servicio de Neumología, Hospital Universitario Río Hortega, Valladolid, Spain

<sup>3</sup> Department of Child Health, The University of Missouri School of Medicine, Columbia, Missouri, United States of America

<sup>4</sup> Instituto de Investigación en Matemáticas, Universidad de Valladolid, Valladolid, Spain

\* Corresponding author: **Fernando Vaquerizo-Villar**

Biomedical Engineering Group, E.T.S. Ingenieros de Telecomunicación, Universidad de Valladolid, Campus Miguel Delibes, Paseo Belén 15, 47011 – Valladolid, Spain.

Tel. +34 983 423000 ext. 3708

E-mail address: fervaquerizo@gmail.com

URL: [www.gib.tel.uva.es](http://www.gib.tel.uva.es)

## Abstract-

*Objective:* To evaluate whether detrended fluctuation analysis (DFA) provides information that improves the diagnostic ability of the oximetry signal in the diagnosis of paediatric sleep apnoea-hypopnoea syndrome (SAHS). *Approach:* A database composed of 981 blood oxygen saturation ( $\text{SpO}_2$ ) recordings in children was used to extract DFA-derived features in order to quantify the scaling behaviour and the fluctuations of the  $\text{SpO}_2$  signal. The 3% oxygen desaturation index (*ODI3*) was also computed for each subject. Fast correlation-based filter (FCBF) was then applied to select an optimum subset of relevant and non-redundant features. This subset fed a multi-layer perceptron (MLP) neural network to estimate the apnoea-hypopnoea index (AHI). *Main results:* *ODI3* and 4 features from the DFA reached significant differences associated with the severity of SAHS. An optimum subset composed of the slope in the first scaling region of the DFA profile and the *ODI3* was selected using FCBF applied to the training set (60% of samples). The MLP model trained with this feature subset showed high agreement with actual AHI, reaching an intra-class correlation coefficient of 0.891 in the test set (40% of samples). Furthermore, the estimated AHI showed high diagnostic ability, reaching 82.7%, 81.9%, and 91.1% accuracies using three common AHI cut-offs of 1, 5, and 10 events per hour (e/h), respectively. These results outperformed the overall performance of *ODI3*. *Significance:* DFA may serve as a reliable tool to improve the diagnostic performance of oximetry recordings in the evaluation of paediatric patients with symptoms suggestive of SAHS.

**Keywords-** Blood oxygen saturation ( $\text{SpO}_2$ ), detrended fluctuation analysis (DFA), feature selection, apnoea-hypopnoea index (AHI) estimation, oximetry, paediatric sleep apnoea-hypopnoea syndrome (SAHS).

## 1. INTRODUCTION

Childhood sleep apnoea-hypopnoea syndrome (SAHS) is a breathing disorder whereby paediatric subjects manifest recurrent episodes of either complete cessation (apnoea) or significant reductions (hypopnoea) of airflow while sleeping (Marcus *et al* 2012). Paediatric SAHS has become a major health problem due to its high prevalence and negative effects. SAHS has an estimated prevalence in the range of 1 to 5% in the general paediatric population (Marcus *et al* 2012). In addition, cognitive deficits, behavioural abnormalities, daytime sleepiness, cardiac and metabolic derangements, and systemic inflammation are all morbid consequences that adversely affect the optimal development of children affected by SAHS (Marcus *et al* 2012).

Based on the aforementioned considerations, an early diagnosis of paediatric SAHS acquires an essential importance. The gold standard diagnostic approach to childhood SAHS is overnight polysomnography (PSG) (Marcus *et al* 2012). It requires patients to spend the night in a specialised sleep laboratory while being recorded for a wide range of biomedical signals, including electrocardiogram, electroencephalogram, electrooculogram, submental and leg electromyogram, oronasal airflow, and blood oxygen saturation ( $SpO_2$ ) by pulse oximetry (Alonso-Álvarez *et al* 2011, Kaditis *et al* 2016). However, PSG is a complex test which is also quite costly due to the necessary equipment and specialized medical personnel that is required to supervise the PSG and to score the recordings. PSG is also intrusive, especially for children, due to the use of multiple sensors. Additionally, PSG shows limited availability in many if not most places around the world, which results in long waiting lists, thus delaying the diagnosis and treatment of the affected children (Nixon *et al* 2004, Katz *et al* 2012).

Considering the inherent disadvantages and limitations of the PSG, along with the

need of an early and timely diagnosis of SAHS, a search for simplified alternative techniques has emerged in recent years. In this regard, one common approach consists in the automated analysis of a reduced subset of cardiorespiratory signals that is normally included in the overnight PSG. One of these alternatives is nocturnal pulse oximetry (NPO), which records the blood oxygen saturation signal ( $\text{SpO}_2$ ) with a pulse oximeter probe, usually placed in a finger (Netzar *et al* 2001). NPO can be readily performed without the need for professional supervision in the patient's home and is widely available as reflected by the large number of commercially available portable pulse oximeters (Nixon *et al* 2004, Garde *et al* 2014). Thus, NPO is a technically simple test for children, and  $\text{SpO}_2$  signal from NPO provides moment to moment oxygen content in haemoglobin (McClatchey 2002), a signal that contains essential information of apnoeic events from SAHS, since these events induce recurrent decreases in blood oxygen levels, otherwise termed oxygen desaturations (Berry *et al* 2012).

Previous studies have examined the  $\text{SpO}_2$  signal as a potential alternative to PSG in the screening of paediatric SAHS. These studies employed different signal processing techniques (Kirk *et al* 2003, Tsai *et al* 2013, Garde *et al* 2014, Eyck *et al* 2015, Álvarez *et al* 2017, Crespo *et al* 2017, Hornero *et al* 2017, Vaquerizo-Villar *et al* 2018), and more specifically conventional oximetry indices, common statistics, frequency domain analysis techniques, and nonlinear methods. Among these approaches, nonlinear parameters proved as useful to characterise the oxygen desaturations caused by apnoeic events in adults and children. However, a recent study using a very large database of 4,191 paediatric subject recordings showed that traditional nonlinear metrics (central tendency measure, Lempel-Ziv complexity and sample entropy) were redundant with respect to the 3% oxygen desaturation index (*ODI3*) (Hornero *et al* 2017), an oximetry index commonly used in the clinical practice for simplified screening purposes.

Therefore, additional research is needed to find alternative and better performant nonlinear methods that may provide further insights into the properties of the oximetry signal and allow for extraction of additional information to the one provided by the *ODI3*. In this regard, detrended fluctuation analysis (DFA) is a nonlinear analysis technique widely used to detect the correlation properties of a non-stationary signal (Peng *et al* 1994, 1995). DFA computes the logarithm of the fluctuation function of a time series versus the logarithm of a window time length (scale). DFA provides a quantitative parameter, the scaling exponent ( $\alpha$ ), which measures the linear relationship between the fluctuation function and the scale (Peng *et al* 1994). The variation of  $\alpha$  value for different ranges of scales (different window time lengths) identifies regions with different correlation (Peng *et al* 1995). In this sense, the scaling behaviour of a signal is given by the different regions observed in the DFA profile and the value of  $\alpha$  in these regions (Peng *et al* 1995). Thus, DFA is a useful tool to analyse signals with segments that modify its scaling behaviour, such as random spikes or segments which have a different local behaviour (Chen *et al* 2002, Hua and Yu 2017). Apnoeic events produce random spikes and/or irregular fluctuations in the SpO<sub>2</sub> signal. Hence, DFA could be useful to analyse the oximetry signal in the context of SAHS.

Previous work has suggested the ability of DFA to analyse the correlation properties of physiological signals in the context of both adult and paediatric SAHS (Lee *et al* 2002, Penzel *et al* 2003, Dehkordi *et al* 2016, Kaimakamis *et al* 2016, Hua and Yu 2017). Hua and Yu (2017) applied DFA to SpO<sub>2</sub> signals in the context of diagnosing adult SAHS. However, there are no studies focused on applying DFA to SpO<sub>2</sub> recordings in the context of paediatric SAHS. SpO<sub>2</sub> signal properties in children differ from those of adults. Furthermore, the frequency of events that are required to define abnormality or severity markedly differ between adults and children. In addition,

scoring rules for apnoeas and hypopnoeas are also more restrictive in the case of paediatric SAHS (Berry *et al* 2012). Thus, the diagnosis of SAHS in children is vastly more challenging than in adults.

Thus, we hypothesised that DFA could extract additional information from the oximetry signal, which could be associated to the presence and severity of SAHS in children and could therefore assist in the diagnostic accuracy of overnight oximetry. Accordingly, the aim of this study was to assess the usefulness of DFA-derived features obtained from the oximetry signal to simplify the diagnosis of paediatric SAHS.

## **2. METHODS**

### **2.1. Subjects and signals under study**

The dataset included 981 children (602 boys and 379 girls) ranging from 2 to 13 years of age. All children were consecutively and prospectively referred to the Pediatric Sleep Unit at the University of Chicago Medicine Comer Children's Hospital (Chicago, IL, USA) due to clinical suspicion of SAHS. Their legal caretakers gave their informed consent as a prerequisite to participate in the study. The Ethical Committee of the University of Chicago Medicine approved the research protocols (#11-0268-AM017, #09-115-B-AM031, and # IRB14-1241).

A digital polysomnography system (Polysmith; Nihon Kohden America Inc., CA, USA) was used to monitor children's sleep. SpO<sub>2</sub> recordings were obtained during overnight PSG at samplings rates of 25, 200, or 500 Hz. They were exported and processed offline. Artifacts were rejected from oximetric recordings by removing those SpO<sub>2</sub> values below 50% and sudden changes between consecutive SpO<sub>2</sub> samples faster than 4%/second (Magalang *et al* 2003). Then, a non-overlapping averaging-window of 1 second was applied (effective sampling rate=1Hz) to speed up the signal processing

stage, which has been found to be appropriate to perform a multiscale analysis of the oximetry signal (Crespo *et al* 2017, Hua and Yu 2017). This window size is lower than 3 seconds, which is the maximum averaging-time recommended by the American Academy of Sleep Medicine (AASM) (Berry *et al* 2012). The resolution of the SpO<sub>2</sub> signals was set to two decimal points in order to have the same resolution (Hornero *et al* 2017).

Sleep and cardiorespiratory events were scored and quantified by specialised technologists and further confirmed by paediatric sleep medicine specialists who were unaware of the study purpose. The AHI was estimated according to the AASM guidelines (Berry *et al* 2012). In this sense, there is no consensus regarding the AHI cut-off used to determine SAHS and its severity (Alonso-Álvarez *et al* 2011, Church 2012, Marcus *et al* 2012, Tan *et al* 2014). However, a wide range of studies typically classify children into four SAHS severity degrees: no-SAHS (AHI<1 e/h), mild SAHS (1≤AHI<5 e/h), moderate SAHS (5≤AHI<10 e/h), and severe SAHS (AHI≥10 e/h) (Alonso-Álvarez *et al* 2011, Church 2012, Tan *et al* 2014, Hornero *et al* 2017). Thus, the AHI cut-offs of 1, 5, and 10 e/h were adopted in this study.

The dataset was randomly divided into a training set (60%) and a test set (40%). Table 1 shows clinical and demographic data of the population under study. No statistically significant differences ( $p$ -value < 0.01) were found in either age or body mass index (BMI).

## **2.2. Automated signal processing**

Our approach consisted of three sequential stages. First, features derived from DFA and *ODI3* were obtained from the SpO<sub>2</sub> recording of each subject. Then, a smaller subset of relevant and non-redundant features was selected using the fast correlation-



**Table 1.** Clinical and demographic data of the population under study.

Characteristics	All	AHI<1	1≤AHI<5	5≤AHI<10	AHI≥10
<b>All subjects</b>					
Subjects (n)	981	175	401	176	229
Age (years)	6 [3,9]	7 [4,10]	6 [4,9]	5 [2,8]	4 [2,8]
Males (%)	602 (61.4%)	109 (62.3%)	247 (61.6%)	107 (60.8%)	139 (60.7%)
BMI (kg/m <sup>2</sup> )	17.9 [15.8,21.9]	17.4 [15.5,20.9]	17.7 [15.9,21.2]	18.6 [16.2,24.0]	18.3 [16.0,23.2]
AHI (e/h)	3.8 [1.5,9.3]	0.5 [0.1,0.8]	2.5 [1.7,3.5]	6.8 [5.8,8.3]	19.1 [13.9,31.1]
<b>Training set (60%)</b>					
Subjects (n)	589	98	232	113	146
Age (years)	6 [3,8]	6 [4,8]	7 [4,9]	5 [2,8]	5 [3,8]
Males (%)	348 (59.1%)	61 (62.2%)	140 (60.3%)	72 (63.7%)	75 (51.4%)
BMI (kg/m <sup>2</sup> )	17.6 [15.9,22.0]	17.0 [15.4,19.9]	17.5 [15.9,21.6]	18.6 [16.2,23.7]	18.1 [15.9,23.6]
AHI(e/h)	4.1 [1.7,9.9]	0.4 [0.0,0.8]	2.5 [1.8,3.6]	6.9 [5.8,8.5]	18.9 [13.8,33.5]
<b>Test set (40%)</b>					
Subjects (n)	392	77	169	63	83
Age (years)	6 [3,9]	8 [5,10]	5 [2,9]	6 [4,9]	4 [2,8]
Males (%)	254 (64.8%)	48 (62.3%)	107 (63.3%)	35 (55.6%)	64 (77.1%)
BMI (kg/m <sup>2</sup> )	18.1 [15.8,21.7]	18.0 [15.6,21.7]	18.0 [15.8,20.7]	18.9 [15.7,26.3]	18.3 [16.0,22.1]
AHI(e/h)	3.3 [1.4,7.8]	0.5 [0.3,0.8]	2.5 [1.7,3.4]	6.8 [5.8,7.8]	19.2 [15.1,28.2]

BMI: Body Mass Index; AHI: Apnoea Hypopnoea Index. Data are presented as median [interquartile range], n or %.

based filter (FCBF) method (Yu and Liu 2004). Finally, a multi-layer perceptron (MLP) neural network (Bishop 1995) was applied to this optimum subset in order to estimate the AHI of each patient.

### 2.2.1. Detrended fluctuation analysis

DFA performs a multiscale analysis of a time series to study its correlation properties (Peng *et al* 1994). The DFA profile shows changes in the correlation properties for different ranges of scales, termed ‘crossovers’, which may be caused by different non-stationarities in the signal such as (Chen *et al* 2002): (i) segments removed from the signal; (ii) random spikes with variable amplitude; (iii) segments with different

local behaviour. Segments of the SpO<sub>2</sub> signal associated to apnoeic events typically have different statistical properties, presenting fluctuations and spikes (Crespo *et al* 2017, Hua and Yu 2017). Thus, these properties of the SpO<sub>2</sub> signal may be reflected in the DFA profile.

Given a signal  $x(t)$ , the DFA method consists of the following steps (Peng *et al* 1994):

1. The time series  $x(t)$  is integrated:

$$y(i) = \sum_{j=1}^i [x(j) - x_{avg}], i = 1, \dots, N, \quad (1)$$

where  $x_{avg}$  is the average of the whole signal  $x(t)$ , and  $N$  is the length of the SpO<sub>2</sub> signal.

2. The integrated signal  $y(i)$  is divided into  $B$  non-overlapping windows of equal size. In the case of SpO<sub>2</sub> recordings, the minimum length of the signal is 3 hours (10800 samples) in order to have sleep cycles enough (Berry *et al* 2012). Thus, the length of each window (*i.e.*, the scale),  $k$ , is between 3 and 1080, since the maximum box size in DFA must be one-tenth of the signal length (Chen *et al* 2002).
3. For each window  $b$  ( $b=1, \dots, B$ ), the local trend was obtained as a straight line,  $y^b$ , estimated by applying a least squares fitting to  $y_i$ .
4. The variance of the fluctuation in each window,  $F_b^2(k)$ , is defined as follows:

$$F_b^2(k) = \frac{1}{k} \sum_{j=(b-1)k+1}^{bk} (y(j) - y^b(j))^2 \quad (2)$$

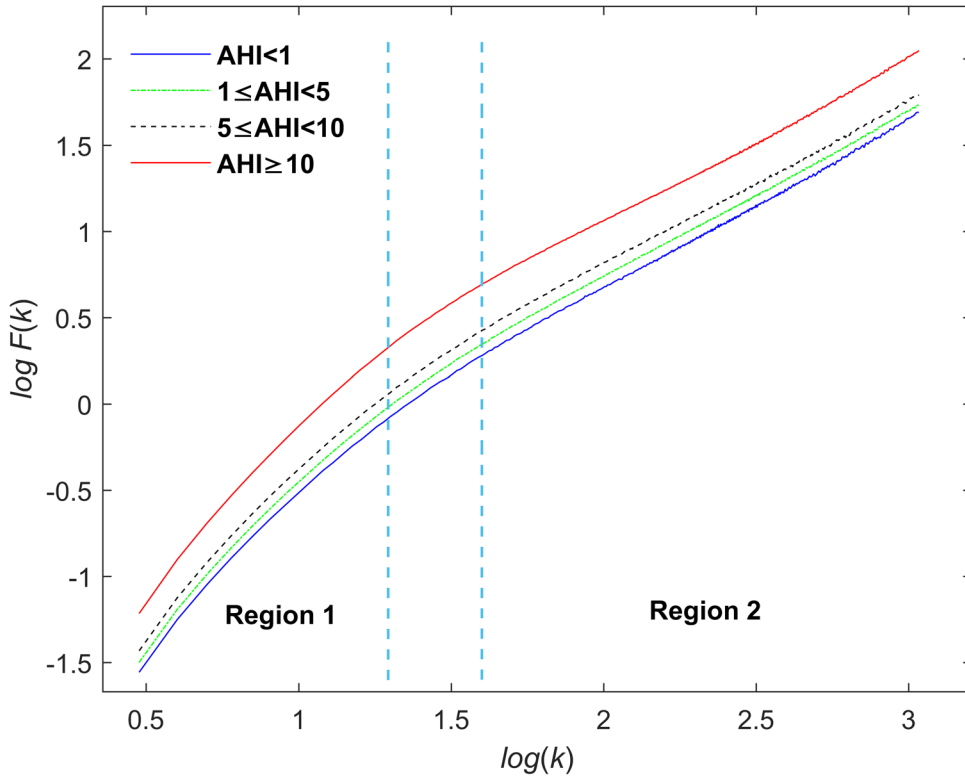
5. The fluctuation function,  $F(k)$ , is obtained as the square root of the average of  $F_b^2(k)$  over all windows:

$$F(k) = \sqrt{\frac{1}{B} \sum_{b=1}^B F_b^2(k)} \quad (3)$$

Steps 2 to 5 are iterated until the highest scale is used.

A double logarithmic plot was used to analyse the evolution of the DFA plot along scales:  $\log(F(k))$  vs  $\log(k)$  (Penzel *et al* 2003, Dehkordi *et al* 2016, Hua and Yu 2017). Figure 1 shows the averaged DFA plot for the four SAHS severity groups ( $AHI < 1$  e/h,  $1 \leq AHI < 5$  e/h,  $5 \leq AHI < 10$  e/h, and  $AHI \geq 10$  e/h) in the training set. It can be shown that higher fluctuations are observed as the SAHS severity increases. Additionally, two scaling regions can be observed in the DFA plot:

- Region 1, for scales in the range  $0.48 \leq \log(k) \leq 1.3$  ( $3 \leq k \leq 20$ ).
- Region 2, for scales in the range  $1.60 \leq \log(k) \leq 3.03$  ( $40 \leq k \leq 1080$ ).

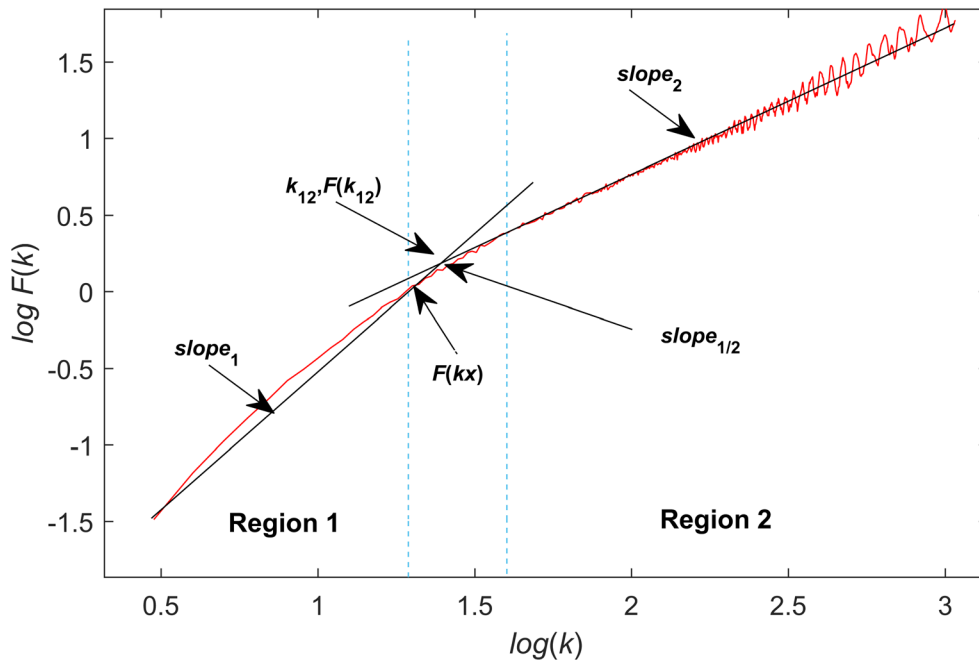


**Figure 1.** Averaged DFA profile for the four SAHS severity groups: (a)  $AHI < 1$  e/h, (b)  $1 \leq AHI < 5$  e/h, (c)  $5 \leq AHI < 10$  e/h, and (d)  $AHI \geq 10$  e/h in the training set.

A crossover is produced in the space between these two regions of the DFA profile. Robust linear regression (Hua and Yu 2017) was applied to estimate the line that fits both regions for each SpO<sub>2</sub> recording.

Figure 2 shows the lines fitted in both regions in an illustrative example of a patient from the training set. We characterised the DFA plot by extracting the following features, as it can be seen in the figure 2 (Penzel *et al* 2003, Hua and Yu 2017):

- Slopes (scaling exponents) in the line that fits the DFA profile in both regions ( $slope_1$  and  $slope_2$ ), as well as the ratio of them ( $slope_{1/2}$ ). These parameters measure the scaling behaviour of the oximetry signal in each region ( $slope_1$  and  $slope_2$ ) and the relative differences of this behaviour between both regions ( $slope_{1/2}$ ).
- Coordinates ( $k_{12}$  and  $F(k_{12})$ ) of the intersection formed by the lines fitted in



**Figure 2.** Illustrative example of the DFA plot of the SpO<sub>2</sub> signal of a patient from the training set.

the regions 1 and 2. These parameters are intended to characterise the crossover point of the DFA plot.

- Fluctuation function in the scale with a maximum correlation with the severity of SAHS ( $F(k_x)$ ). This parameter was extracted to quantify the fluctuations of the oximetry signal. In order to obtain the optimum value of  $k_x$ , Spearman's correlation was computed for each scale between  $F(k)$  and the AHI.  $K_x=21$  was therefore obtained as the scale with a maximum Spearman's correlation with the AHI.

It is expected that these parameters for quantification of the differences in the scaling behaviour and the fluctuations of the SpO<sub>2</sub> signal associated to the severity of SAHS, as shown in figure 1.

### **2.2.2. Oxygen desaturation index**

*ODI3* was computed as the number of oxygen desaturations from preceding baseline greater than or equal 3% per hour of recording (Taha *et al* 1997). This clinical parameter has commonly been used in the SAHS context (Kirk *et al* 2003, Chang *et al* 2013, Tsai *et al* 2013). Higher values of *ODI3* are expected in patients with a higher severity of SAHS, since oxygen desaturations are associated with apnoea or hypopnoea events (Berry *et al* 2012).

### **2.2.3. Feature selection: Fast Correlation-Based Filter (FCBF)**

FCBF was applied to evaluate the relevance of the extracted features and their redundancy within them (Yu and Liu 2004). FCBF has proven its utility in the context of paediatric SAHS diagnosis to obtain subsets of relevant and non-redundant features (Hornero *et al* 2017, Vaquerizo-Villar *et al* 2018). First, FCBF computes symmetrical uncertainty (*SU*) between each feature  $x_i$  and the dependent variable  $y$  in order to assess

its relevancy (Yu and Liu 2004):

$$SU(x_i, y) = 2 \left( \frac{IG(x_i|y)}{H(x_i) + H(y)} \right), i = 1, 2, \dots, N, \quad (4)$$

where  $IG(x_i|y) = H(x_i) - H(x_i|y)$ ,  $N$  is the total number of features extracted ( $N=7$ ),  $y$  is the AHI value of each subject, and  $H$  refers to Shannon's entropy (Yu and Liu 2004).  $SU$  values vary between 0 and 1.  $SU=1$  means that one variable is completely predictable from the other, whereas  $SU=0$  indicates that the two variables are independent.

According to their  $SU$  value, features are ranked from the most relevant (highest  $SU$  with the AHI) to the least relevant one (lowest  $SU$  with the AHI). Different  $SU$ -based thresholds can be used to discard non-relevant features. Nevertheless, the number of features comprising our original feature set is not high. Therefore, as proposed by Yu and Liu (2004), no relevance threshold was applied to discard non-relevant features in order to maximize the relevancy of information derived from oximetry (Gutierrez-Tobal *et al* 2018, Hornero *et al* 2017). In this regard, a feature that is useless by itself still may provide useful information when being selected with others (Guyon 2003). A redundancy analysis of each feature is then performed. The  $SU$  value between each pair of features  $(x_i, x_j)$  is computed, beginning with the most relevant one (Yu and Liu 2004). When  $SU(x_i, x_j) \geq SU(x_i, y)$ , the feature  $x_j$  is considered redundant with respect to the feature  $x_i$  and discarded. In this way, an optimum subset composed of the most relevant and non-redundant features is obtained (Yu and Liu 2004).

A bootstrap methodology was used in order to compose a stable optimum feature subset independent of a particular dataset. FCBF was applied to 1000 bootstrap replicates built from our training data (Efron and Tibshirani 1994, Guyon 2003). Those variables which were selected at least half of the runs (500) formed the optimum subset (Hornero *et al* 2017, Vaquerizo-Villar *et al* 2018).

#### 2.2.4. AHI estimation: Multi-layer Perceptron (MLP) neural network

MLP was applied to estimate the AHI of the subjects under study using the optimum feature subset obtained with FCBF. MLP is one of the most widely used artificial neural networks (ANNs). This ANN has already shown its usefulness in the screening of paediatric SAHS diagnosis using SpO<sub>2</sub> recordings (Hornero *et al* 2017). MLP is arranged in several interconnected layers (input, hidden layers, and output) composed of simple units called perceptrons or neurons (Bishop 1995). Each neuron consists of an activation function  $g_i$  and adaptive weights  $w_{jk}$  representing connections with neurons from the following layer. In our case, the output layer has one neuron  $y$ , which represents the estimated AHI. Additionally, a single hidden layer configuration was implemented, since it is able to provide universal approximation to any function (Bishop 1995). Thus, the output unit in our MLP architecture is calculated as follows:

$$y = g_l \left\{ \sum_{j=1}^{N_H} w_{jk} g_t \left\{ \sum_{i=1}^d w_{ij} x_i + b_j \right\} + b_k \right\}, \quad (5)$$

where  $g_l$  and  $g_t$  are the activation functions of the output and hidden layer, respectively,  $w_{jk}$  are the weights connecting the hidden layer to the output layer,  $w_{ij}$  are the weights connecting the input layer to the hidden layer,  $x_i$  is the input feature  $i$ ,  $b_j$  and  $b_k$  are the bias associated to the hidden and the output units respectively,  $N_H$  is the number of units in the hidden layer, and  $d$  is the number of input features (Bishop 1995). Weights of the network were randomly initialised. Then, the scaled conjugate gradient with weight-decay regularisation was applied to optimise these weights. This optimisation algorithm minimises the cross-entropy error function and achieves good generalisation, as recommended for pattern recognition tasks (Bishop 1995).

Our MLP network was implemented using the Netlab toolbox (Nabney 2002). The design parameters of the MLP network (the regularisation parameter ( $\alpha$ ) and  $N_H$ )

were optimised by means of 10-fold cross-validation using the training set. This optimisation allows to control the complexity of the MLP network, thus minimising under-fitting and overfitting. Once these parameters were optimised, the MLP model was built using the whole training dataset.

### **2.2.5. Statistical Analysis and Diagnostic Performance**

Matlab R2016a (The MathWorks Inc., Natick, MA, USA) was used to implement automated signal processing algorithms, as well as to perform statistical analyses. The Kruskal-Wallis test was used to assess statistical differences ( $p$ -value  $<0.01$ ) between groups, since the extracted features did not pass the Lilliefors normality test. The Bonferroni correction was applied to deal with multiple comparisons. Both agreement between estimated AHI ( $AHI_{MLP}$ ) and actual AHI ( $AHI_{PSG}$ ), as well as agreement between  $ODI3$  and  $AHI_{PSG}$  were assessed by means of Bland-Altman plots and the intra-class correlation coefficient (ICC). Cohen's kappa index (kappa) was used to measure the agreement between  $AHI_{MLP}$  and  $AHI_{PSG}$  to estimate the severity of SAHS (Cohen 1960). Diagnostic ability of  $ODI3$  and  $AHI_{MLP}$  was assessed in terms of sensitivity (Se, percentage of SAHS positive patients correctly classified), specificity (Sp, percentage of SAHS negative children correctly classified), positive predictive value (PPV, proportion of subjects classified as positive that are true positives), negative predictive value (NPV, proportion of subjects classified as negative that are true negatives), positive likelihood ratio (LR+, likelihood ratio for subjects classified as positive), negative likelihood ratio (LR-, likelihood ratio for subjects classified as negative), accuracy (Acc, percentage of subjects correctly classified), and area under the ROC curve (AUC). A bootstrapping approach was employed in order to compare the ICC, kappa, overall Acc (four classes), and AUC values between  $ODI3$  and  $AHI_{MLP}$ . The number of bootstrap replicates built from the test data was set to 1000, since it



ensures a proper estimation of the 95% confidence interval (Efron and Tibshirani 1994). ICC, kappa, overall Acc, and AUC values were obtained for *ODI3* and  $AHI_{MLP}$  from each of these replicates. Then, the  $p$ -value between *ODI3* and  $AHI_{MLP}$  was computed for each of these metrics according to the Mann-Whitney  $U$  test.

### 3. RESULTS

#### 3.1. Training set

##### 3.1.1. Features separability

A total of 7 features were obtained for each subject: *ODI3*, and 6 DFA-derived features. Table 2 shows the median and interquartile range of these features in the training set for each SAHS severity group, along with their corresponding  $p$ -values. *ODI3* and 4 out of 6 DFA-derived features ( $slope_1$ ,  $slope_{1/2}$ ,  $F(k_{12})$ , and  $F(k_x)$ ) showed statistical significant differences ( $p$ -value  $< 0.01$ , after Bonferroni correction).

##### 3.1.2. Optimum feature subset

Figure 3 displays the histogram with the number of times that each feature was

**Table 2.** Feature values for the SAHS severity groups (median [interquartile range]) in the training set.

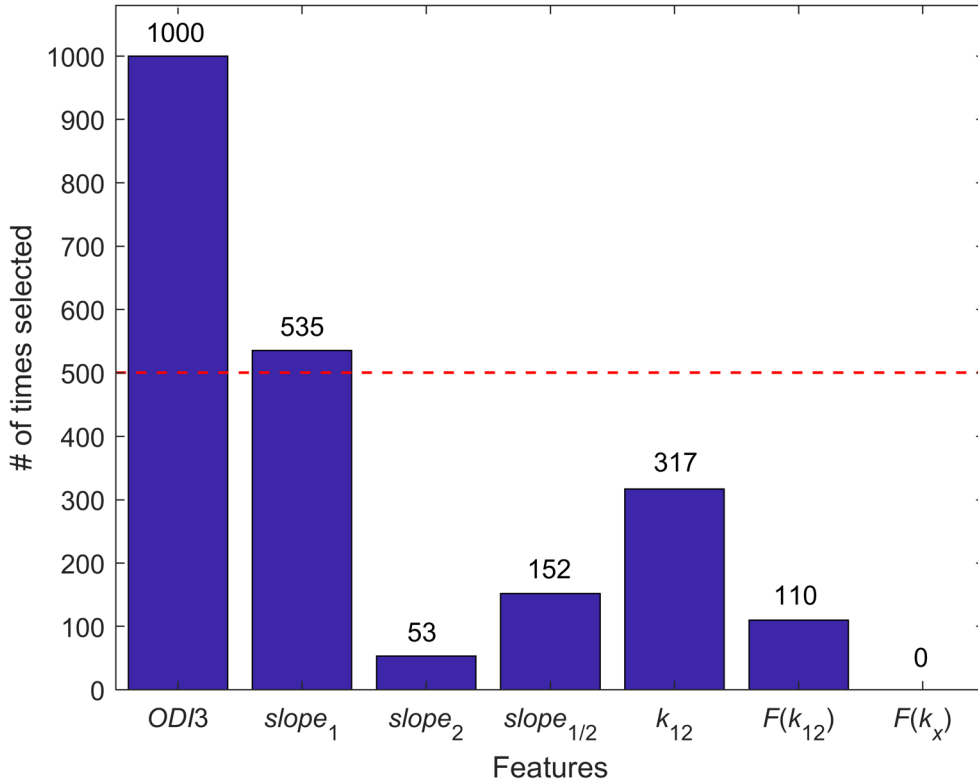
Features	$AHI < 1$	$1 \leq AHI < 5$	$5 \leq AHI < 10$	$AHI \geq 10$	$p$ -value
<i>ODI3</i>	1.04 [0.52,2.47]	2.03 [0.93,3.89]	3.69 [1.94,7.23]	12.35 [6.65,24.49]	$< 0.01$
$slope_1$	1.63 [1.58,1.68]	1.64 [1.58,1.70]	1.67 [1.60,1.71]	1.74 [1.66,1.79]	$< 0.01$
$slope_2$	0.96 [0.90,1.05]	0.95 [0.87,1.03]	0.92 [0.85,1.02]	0.94 [0.88,1.01]	0.18*
$slope_{12}$	1.66 [1.53,1.82]	1.69 [1.55,1.87]	1.77 [1.60,1.94]	1.82 [1.68,1.95]	$< 0.01$
$k_{12}$	1.33 [1.23,1.42]	1.36 [1.26,1.44]	1.38 [1.29,1.45]	1.34 [1.23,1.42]	0.04*
$F(k_{12})$	0.01 [-0.18,0.18]	0.12 [-0.12,0.26]	0.22 [0.04,0.38]	0.42 [0.16,0.61]	$< 0.01$
$F(k_x)$	-0.05 [-0.13,0.04]	0.02 [-0.07,0.11]	0.10 [0.00,0.20]	0.31 [0.18,0.52]	$< 0.01$

\* Not lower after Bonferroni correction ( $p$ -value=0.01/6)

selected over the 1000 bootstrap replicates.  $ODI3$  was selected all the times, which agrees with previous studies (Hornero *et al* 2017, Vaquerizo-Villar *et al* 2018). Additionally,  $slope_1$  was selected more than half of the times (535). Thus,  $ODI3$  and  $slope_1$  were chosen as the optimum subset.

### 3.1.3. MLP model optimisation and training

The MLP network was designed and trained using this optimum feature subset ( $ODI3$  and  $slope_1$ ). In order to find the optimum values,  $N_H$  and  $\alpha$  were varied from  $N_H=2$  up to  $N_H=30$  and  $\alpha=0$  up to  $\alpha=10$ , respectively. For each  $N_H$ - $\alpha$  pair, kappa was obtained through ten-fold cross validation. Since the network is sensitive to the initial random values of the weights, kappa was computed on the cross validation set and

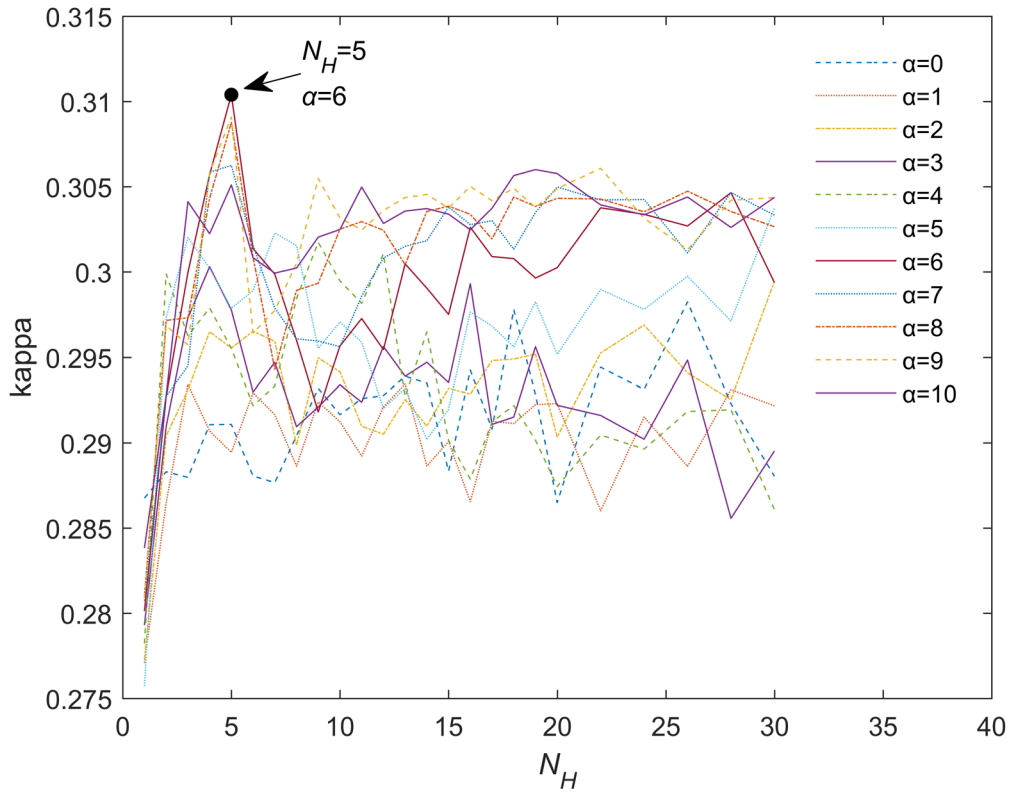


**Figure 3.** Histogram with the number of times each feature is selected over the 1000 bootstrap iterations.

averaged for a total of 10 runs for each  $N_H$ - $\alpha$  pair. Figure 4 shows the kappa value obtained for each  $N_H$ - $\alpha$  pair. According to this figure, the optimum values  $N_H=5$  and  $\alpha=6$  were obtained as those for which kappa was higher. Finally, the optimum feature subset ( $ODI3$  and  $slope_1$ ) from the entire training set was used to train the MLP model ( $AHI_{MLP}$ ) with these optimum user-dependent network parameters.

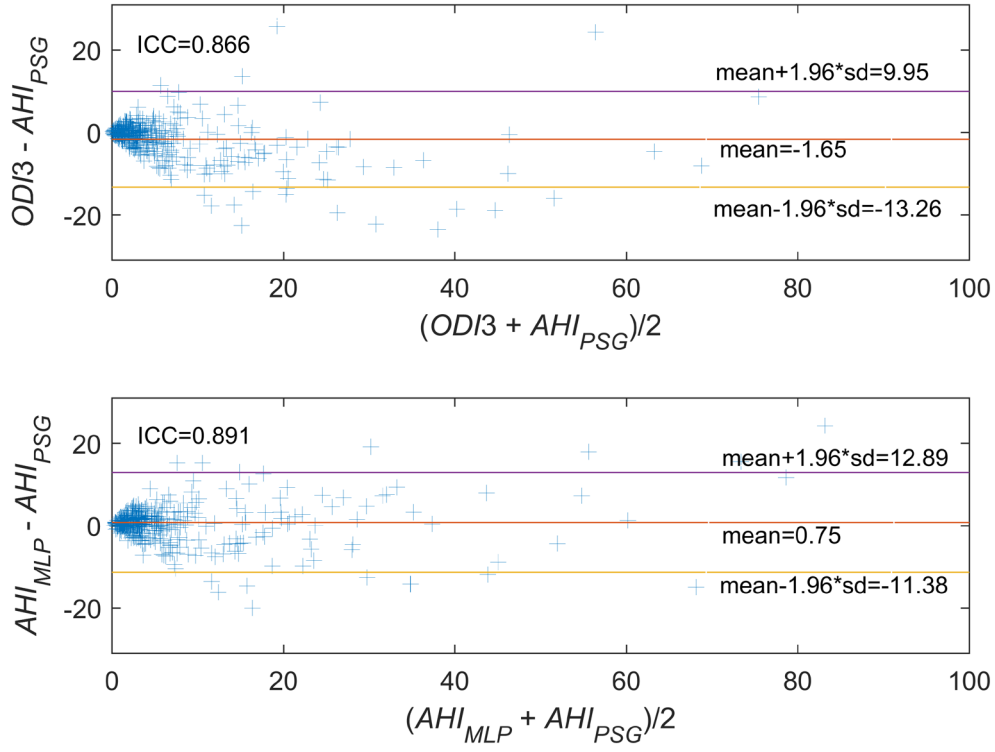
### 3.2. Test set

Figure 5 (a) and (b) show the Bland-Altman plots of  $ODI3$  and  $AHI_{MLP}$  compared with  $AHI_{PSG}$ , respectively, in the test set. ICC between  $ODI3$  and  $AHI_{MLP}$  with  $AHI_{PSG}$  is also shown.  $AHI_{MLP}$  reached a lower mean difference (bias) with  $AHI_{PSG}$  than  $ODI3$  (0.75 vs. -1.65), whereas  $ODI3$  achieved a slightly lower confidence interval than  $AHI_{MLP}$  (23.2 vs. 24.3). Notice that  $ODI3$  underestimates AHI, whereas  $AHI_{MLP}$



**Figure 4.** Averaged kappa for each  $N_H$ - $\alpha$  pair.

corrects this behaviour by showing a slight overestimation. In addition,  $AHI_{MLP}$  achieved higher agreement with  $AHI_{PSG}$  ( $ICC= 0.891$ ) than  $ODI3$  ( $ICC=0.866$ ). Regarding the diagnostic performance, table 3 shows the confusion matrices of  $ODI3$  and  $AHI_{MLP}$  in the test group. These matrices show the class predicted by both original  $ODI3$  and  $AHI_{MLP}$  for each subject *versus* the actual SAHS severity group, according to  $AHI_{PSG}$ . Using  $ODI3$ , 55.4% of the subjects. (217/392) were correctly assigned to their actual group of SAHS severity (sum of the main diagonal elements of the matrix). Conversely,  $AHI_{MLP}$  rightly assigned 60.0% (235/392) of the subjects to their SAHS severity group. Kappa values were 0.355 ( $ODI3$ ) and 0.412 ( $AHI_{MLP}$ ). Table 4 shows the diagnostic ability of both  $ODI3$  and  $AHI_{MLP}$  for the  $AHI_{PSG}$ -based cut-offs of 1, 5, and 10 e/h.  $AHI_{MLP}$  outperformed single  $ODI3$  in terms of ICC, overall Acc and kappa. Additionally, our  $AHI_{MLP}$  reached higher Acc for the single AHI cut-offs of 1 and 10 e/h. With respect to the comparison of the results of  $ODI3$  and  $AHI_{MLP}$ , statistically significant higher values ( $p\text{-value}<0.01$ ) were obtained using  $AHI_{MLP}$  in the case of ICC, kappa, and overall Acc. In addition, statistically significant differences were found for the AHI cut-offs of 5 and 10 e/h between AUC of  $ODI3$  and  $AHI_{MLP}$ .



**Figure 5.** Bland-Altman plots comparing (a)  $ODI3$  with  $AHI_{PSG}$  and (b)  $AHI_{MLP}$  with  $AHI_{PSG}$ .

**Table 3.** Confusion matrices of  $ODI3$  and  $AHI_{MLP}$  in the test set. Regarding  $ODI3$ , average Acc=55.4% and kappa=0.355, whereas for  $AHI_{MLP}$ , average Acc=60.0% and kappa=0.412.

		$ODI3$				$AHI_{MLP}$			
		$AHI < 1$	$1 \leq AHI < 5$	$5 \leq AHI < 10$	$AHI \geq 10$	$AHI < 1$	$1 \leq AHI < 5$	$5 \leq AHI < 10$	$AHI \geq 10$
$AHI_{PSG}$	$AHI < 1$	<b>39</b>	36	1	1	<b>18</b>	55	3	1
	$1 \leq AHI < 5$	47	<b>107</b>	12	3	8	<b>125</b>	33	3
	$5 \leq AHI < 10$	5	33	<b>17</b>	8	1	22	<b>28</b>	12
	$AHI \geq 10$	0	13	16	<b>54</b>	0	8	11	<b>64</b>

**Table 4.** Diagnostic ability of *ODI3* and  $AHI_{MLP}$  in the test set for AHI cut-offs= 1, 5, and 10 e/h.

Features	Se	Sp	AHI cut-off=1 e/h				Acc	AUC
			PPV	NPV	LR+	LR-		
<i>ODI3</i>	83.5	50.6	87.4	42.9	1.7	0.33	77.0	0.811
$AHI_{MLP}$	97.1	23.3	83.9	66.7	1.3	0.12	82.7	0.813
Features	Se	Sp	AHI cut-off=5 e/h				Acc	AUC
			PPV	NPV	LR+	LR-		
<i>ODI3</i>	65.1	93.1	84.8	81.8	9.4	0.37	82.7	0.883
$AHI_{MLP}$	78.8	83.7	74.2	86.9	4.8	0.25	81.9	0.888
Features	Se	Sp	AHI cut-off=10 e/h				Acc	AUC
			PPV	NPV	LR+	LR-		
<i>ODI3</i>	65.1	96.1	81.8	91.1	16.7	0.36	89.5	0.921
$AHI_{MLP}$	77.1	94.8	80.0	93.9	14.9	0.24	91.1	0.930

## 4. DISCUSSION

This study evaluated the usefulness of DFA to provide additional information from oximetry dynamics in order to assist with the screening of children at risk for paediatric SAHS. To our knowledge, the application of DFA to  $SpO_2$  recordings is novel in the context of paediatric SAHS. Our proposed approach shows high diagnostic ability, and outperforms the conventional oximetric index *ODI3*.

*ODI3* and 4 out of 6 features from DFA ( $slope_1$ ,  $slope_{1/2}$ ,  $F(k_{12})$ , and  $F(k_x)$ ) reached significantly higher values that were associated with increased severity of SAHS. The statistical differences shown by these DFA-derived parameters indicate that the scaling behaviour of the DFA profile of the  $SpO_2$  signal is affected in the presence of SAHS, as illustrated by figure 1. This change in the correlation properties of the  $SpO_2$  signal along time scales may be caused by the presence of spikes or segments with different statistical properties (Chen *et al* 2002, Hua and Yu 2017). Figure 1 shows two regions with different scaling exponents (correlation), one region for the short-time

scales (region 1) and another region for long-time scales (region 2). Two scaling regions were also obtained in the studies developed by Dehkordi *et al* (2016) and Penzel *et al* (2003). Dehkordi *et al* (2016) and Penzel *et al* (2003) applied DFA to analyse the scaling behaviour of the pulse rate variability (HRV) and heart rate variability (PRV) signals in the context of SAHS, respectively. According to these studies (Dehkordi *et al* 2016, Penzel *et al* 2003), the time scales of these regions may be related to the duration of apnoeic events. In these studies, short-time scales have been related to the effects of respiration on the heart rate, whereas long time scales have been related to the effects of sleep stages and circadian rhythm (Penzel *et al* 2003).

According to the physiological interpretation of both regions in the DFA profile, the higher values shown by  $slope_1$  and  $slope_{1/2}$  that associate with the severity of SAHS may be related to the variations in the SpO<sub>2</sub> signals caused by respiratory events (Hua and Yu 2017, Peng *et al* 1995, Penzel *et al* 2003), which directly affect the oximetry dynamics. On the contrary,  $slope_2$  did not show statistical significant differences. According to Penzel *et al.* (2003),  $slope_2$  is related to the effects of slower brain functions on the HRV signal. Nevertheless, slower brain functions may not have relation with the effects of SAHS in the oximetry signal. That is one possible reason why the value of  $slope_2$  does not increase with the severity of SAHS. Figure 1 also shows higher values of  $F(k)$  in the SpO<sub>2</sub> signal as the severity of SAHS increases. These differences may be due to the fluctuations produced in the SpO<sub>2</sub> signal by apnoeic events (Hua and Yu 2017). These fluctuations are reflected in significantly higher values of  $F(k_{12})$  and  $F(k_x)$  associated with a higher SAHS severity. Finally, it can be appreciated in the figure 1 that the crossover point between the two regions of the DFA profile occurs at similar time scales for the different SAHS severity groups. The scale value  $k$  of the crossover point is related to the duration of apnoeic events (Penzel *et al*

2003), which does not depend on the severity of SAHS. This may be the reason why  $k_{12}$  did not show statistical significant differences.

Regarding the results of the feature selection stage, figure 3 shows that only  $ODI3$  and  $slope_1$  were selected more than 500 times after the bootstrapping approach. The remaining features showed high redundancy.  $ODI3$  and  $slope_1$  come from different methodological approaches. Therefore, this suggests that information from DFA is complementary to that obtained from the conventional  $ODI3$ . As aforementioned, a MLP neural network fed with this optimum subset outperformed the  $ODI3$  (tables 3 and 4). A higher agreement with the  $AHI_{PSG}$  was achieved with our  $AHI_{MLP}$ , as well as a higher diagnostic ability to predict SAHS severity. This highlights the usefulness of FCBF, the feature selection method employed in our proposal. According to our results,  $slope_1$ , which was involved in the optimum subset, quantifies changes in the scaling behaviour of the DFA profile that provide additional information about oximetry dynamics able to enhance its diagnostic ability.

Previous studies also evaluated the usefulness of DFA to characterise SAHS in both adults (Lee *et al* 2002, Penzel *et al* 2003, Kaimakamis *et al* 2016, Hua and Yu 2017) and children (Dehkordi *et al* 2016). Penzel *et al.* (2003) and Dehkordi *et al.* (2016) extracted the slopes in the scaling regions of the DFA profile from the HRV and PRV signals in order to discriminate sleep stages and detect the presence of SAHS in adults and paediatric patients, respectively. Their findings indicate that the scaling analysis provided by DFA is suitable to quantify the changes of the cardiac signals during sleep stages, as well as the properties of these signals associated with apnoeic events. These results agree with Lee *et al* (2002), who also reported that the scaling exponents of the DFA of the electroencephalogram signal are useful to discriminate between sleep stages in adult patients. Kaimakanis *et al.* (2016) reported a 0.77



correlation coefficient in predicting AHI with a linear regression model fed with DFA and other nonlinear methods applied to airflow and thoracic signals from adult patients. Finally, Hua and Yu (2017) evaluated the diagnostic ability of the slopes of four different scaling regions and the coordinates and angles of the intersections of these regions in the DFA plot of the SpO<sub>2</sub> signal in the context of adult SAHS. High diagnostic performance was achieved with these features, with 90.8%, 80.1%, and 87.4% accuracies for the common adult SAHS cut-offs of 5, 15, and 30 e/h, respectively. Importantly, our research is not limited to the analysis of individual features from DFA, and assesses the capability of DFA to provide additional and relevant information complementary to conventional approaches (i.e., *ODI3*) to simplify the diagnosis of paediatric SAHS.

Table 5 summarises the performance of previous studies focused on the analysis of SpO<sub>2</sub> as a simplified technique in the screening of paediatric SAHS (Kirk *et al* 2003, Tsai *et al* 2013, Garde *et al* 2014, Eyck *et al* 2015, Álvarez *et al* 2017, Crespo *et al* 2017, Hornero *et al* 2017, Vaquerizo-Villar *et al* 2018). Some of them have applied oxygen desaturation index (ODI) and clusters of desaturations (Kirk *et al* 2003, Tsai *et al* 2013, Eyck *et al* 2015). However, only Tsai *et al.* (2013) reached accuracies higher than 80%. Notwithstanding, further validation was felt to be still needed to independently assess the proposed ODI-based cut-offs.

Recent studies have focused on the application of automated signal processing approaches to enhance the diagnostic ability of the SpO<sub>2</sub> signal (Garde *et al* 2014, Álvarez *et al* 2017, Crespo *et al* 2017, Hornero *et al* 2017, Vaquerizo-Villar *et al* 2018). From these studies, only Hornero *et al.* (2017) assessed an AHI estimation model. Hornero *et al.* (2017) built a MLP regression model with *ODI3* and the skewness of the PSD extracted from 4191 SpO<sub>2</sub> recordings from 13 sleep laboratories worldwide. Our

**Table 5.** Summary of state-of-the-art in the context of analysis of SpO<sub>2</sub> recordings to assist in the diagnosis of paediatric SAHS.

Studies (year)	Subjects (n)	AHI cut-off	Methods	Validation	Se (%)	Sp (%)	Acc (%)
Kirk <i>et al</i> (2003)	58	5	ODI3	Direct validation **	67	60	64*
Tsai <i>et al</i> (2013)	148	1	ODI4	No	77.7	88.9	79.0*
		5			83.8	86.5	85.1*
		10			89.1	86.0	87.1*
Garde <i>et al</i> (2014)	146	5	Statistical, nonlinear features, classical indices, and PSD	4-fold cross validation	80.0	83.9	78.5
Van Eyck <i>et al.</i> (2015)	130	2	ODI3 and clusters of desaturations	Train-test for ODI3	57	73	68*
					58	88	78*
					66	69	68*
Álvarez <i>et al</i> (2017)	50	1	Statistical, nonlinear features, PSD, and classical indices	Bootstrap 0.632	89.6	71.5	85.5
		3			82.9	84.4	83.4
		5			82.2	83.6	82.8
Crespo <i>et al</i> (2017)	50	3	Multiscale entropy and classical indices	Bootstrap 0.632	84.5	83.0	83.5
Hornero <i>et al</i> (2017)	4191	1	Statistical, nonlinear features, PSD, and ODI3	Training-test	84.0	53.2	75.2
		5			68.2	87.2	81.7
		10			68.7	94.1	90.2
Vaquerizo <i>et al</i> (2018)	298	5	Bispectrum, PSD, ODI3, anthropometric variables	Feature optimisation-training-test	61.8	97.6	81.3
		10			60.0	94.5	85.3
Our proposal	981	1	DFA and ODI3	Training-test	97.1	23.3	82.7
		5			78.8	83.7	81.9
		10			77.1	94.8	91.1

\* computed from reported data, \*\* direct validation of a scoring criteria against AHI from PSG.

study outperformed the state-of-the-art approaches except the performance reported by the study of Álvarez *et al* (2017), which achieved higher accuracies for the AHI cut-offs of 1 and 5 e/h. However, the database used by Álvarez *et al* (2017) had only 50 subjects. As a consequence, their results are less generalizable and they performed binary classification instead of estimating the AHI of each patient.

In spite of the promising results of our proposed approach, several limitations must be taken into account. First, the number of subjects belonging to the no-SAHS (AHI<1 e/h) group is low when compared to the other severity groups. This issue likely contributes to the slight trend of the MLP model to overestimate the AHI of the subjects

belonging to this group, thus resulting in a low specificity for an AHI-threshold of 1 e/h. However, this is likely the situation in clinical settings when only symptomatic children would be referred for evaluation. Nonetheless, a more balanced proportion of subjects among SAHS severity groups would likely minimise this effect. Another limitation concerns the use of the SpO<sub>2</sub> signal alone to detect SAHS, since some physiological perturbations of SAHS may not be detected by the oximetry signal, such as airflow reductions, electroencephalographic arousals, or increased intrathoracic pressure swings (Marcus *et al* 2012). The use of SpO<sub>2</sub> together with other biomedical signals could detect these perturbations and, consequently, enhance the detection of SAHS. However, this would increase the complexity of the screening method. Additionally, the application of more advanced machine learning algorithms could be potentially useful to improve the diagnostic ability of our proposal. Finally, it would be appropriate to evaluate our methodology in a database of oximetry recordings obtained with the patients being evaluated at home. Finally, the implementation of our proposal in a portable oximeter could facilitate its use in ambulatory settings.

## 5. CONCLUSION

In summary, we investigated the usefulness of DFA to obtain additional information from the SpO<sub>2</sub> recordings in order to simplify the detection of paediatric SAHS. Four features extracted from DFA showed significant differences between SAHS severity groups. An optimum subset composed of *ODI3* and *slope*<sub>1</sub> was obtained with FCBF, which suggests that these features are complementary and non-overlapping. A MLP model fed with this optimum subset reached high agreement with the AHI from PSG, obtaining 0.891 ICC and 0.412 kappa, as well as high diagnostic ability. This MLP model reached higher agreement (ICC and kappa) than *ODI3*, as well as higher

accuracies for the cut-offs of 1 and 10 e/h. Our methodology achieved a high diagnostic performance in comparison with state-of-the-art techniques. This suggests that the changes in the scaling behaviour of the DFA profile quantified by  $slope_1$  can provide additional information to enhance the diagnostic ability of the oximetry signal in the context of paediatric SAHS.

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## **CONFLICT OF INTEREST**

There are no conflicts of interest that could inappropriately influence this research work.

## **ETHICAL APPROVAL**

In all participants, the informed consent to be included in the research was obtained and the Ethical Committee of the University of Chicago Medicine approved the protocols (#11-0268-AM017, # 09-115-B-AM031, and # IRB14-1241).

## **AUTHORSHIP RESPONSIBILITY**

- The material in this manuscript is original and contains no matter libelous or otherwise unlawful.
- The manuscript represents valid work and that neither this manuscript nor any other with substantially similar content under my authorship has been published or is being considered for publication elsewhere.
- I have participated sufficiently in the work to take public responsibility for all its content.

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